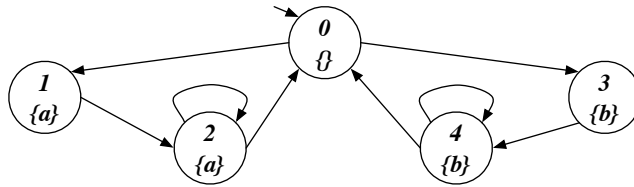
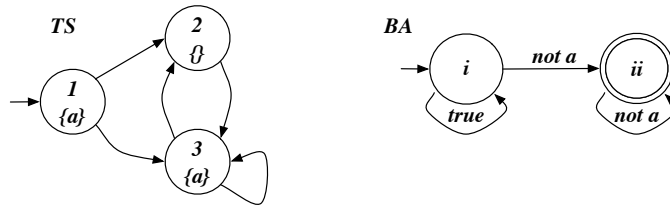


**Part 1.** Consider the following transition system:

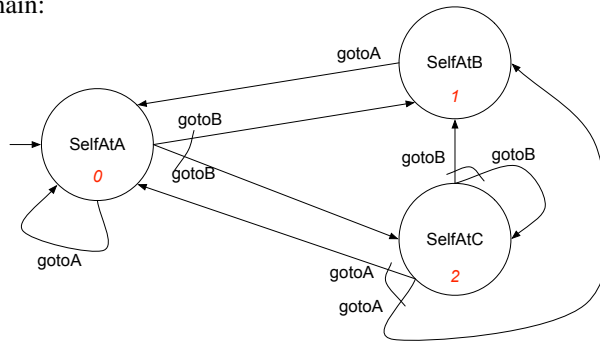


- **Exercise 1.1:** Model check the Mu-Calculus formula:  $\nu X.\mu Y.((a \wedge [next]X) \vee (b \wedge \langle next \rangle Y))$
- **Exercise 1.2:** Model check the CTL formula  $AF(EG(a \supset AXEX\neg a))$ , by translating it in Mu-Calculus.

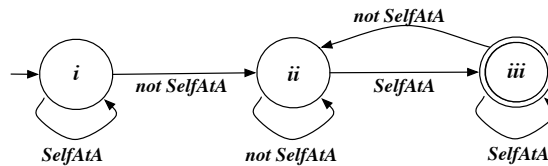
**Part 2** Consider the transition system  $TS$  below. Model check the LTL formula  $\square \diamond a$ , by considering that the Büchi automaton  $BA$  for  $\neg \square \diamond a$  (i.e.,  $\diamond \square \neg a$ ) is the one below:



**Part 3** Consider the following domain:



- **Exercise 2.1:** Synthesize a strategy (a plan) for realizing the LTLf formula  $\diamond(\neg SelfAtA \wedge \diamond(SelfAtA \wedge \bullet false))$ , by considering that the corresponding DFA is the one below:



**Part 4 (optional)** Consider the following program:

```
while (x<10) do x := x + 1
```

Compute its *execution* and *final state*, starting from an *initial state* where  $x = 9$ , by using:

1. *Evaluation Semantics;*
2. *Transition Semantics.*