

Robotics 2

Detection and isolation of robot actuator faults

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Fault diagnosis problems - 1

- in the diagnosis of faults possibly affecting a (nonlinear) dynamic system various problems can be formulated
- Fault Detection
 - recognize that the malfunctioning of the (controlled) system is due to the occurrence of a fault (or not proper behavior) affecting some physical or functional component of the system
- Fault Isolation
 - discriminate which particular fault *f* has occurred out of a (large) class of potential ones, by distinguishing it from any other fault and from the effects of disturbances possibly acting on the system
- Fault Identification
 - determine the time profile (and/or class type) of the isolated fault f
- Fault Accommodation
 - modify the control law so as to compensate for the effects of the detected and isolated fault (possibly also identified)

Fault diagnosis problems - 2

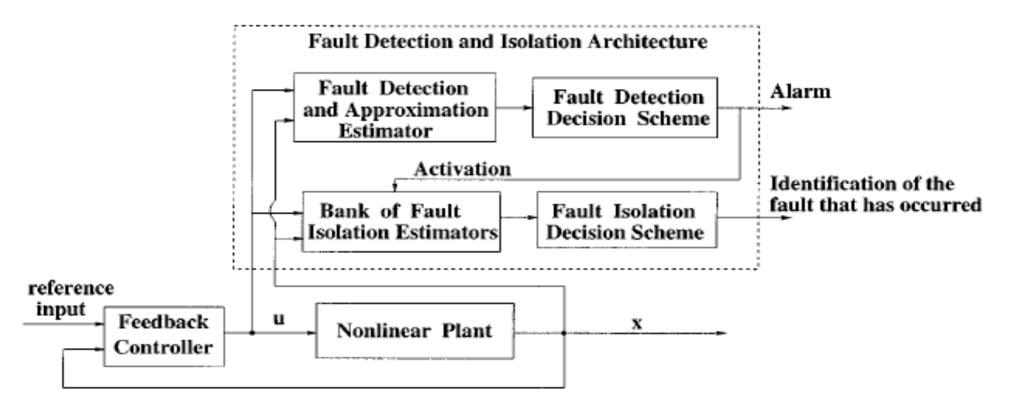


- FDI solution (simultaneous detection and isolation)
 - definition of an auxiliary dynamic system (Residual Generator) whose output will depend only on the presence of the fault f to be detected and isolated (and not on any other fault or disturbance) and will converge asymptotically to zero when $f \equiv 0$ (stability)
 - in case of many potential faults, each component r_i of the vector r of residuals will depend on one and only one associated fault f_i (possibly reproducing approximately its time behavior)
 - many of the FDI schemes are model-based: they use a nominal (fault- and disturbance-free) dynamic model of the system
- Fault Tolerant Control
 - passive: control scheme that is intrinsically robust to uncertainties and/or faults (typically having only moderate/limited effects)
 - active: control scheme involving a reconfiguration after FDI (with guaranteed performance for the faulted system)

Typical FDI architecture



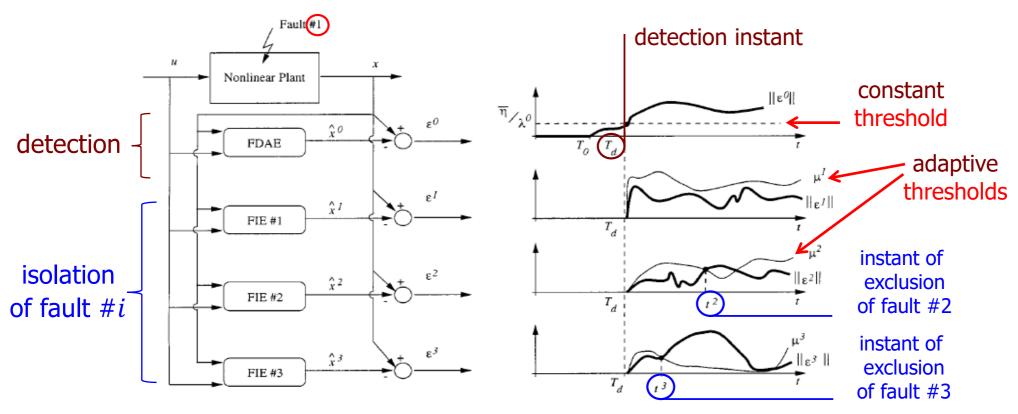
- bank of n + 1 (model-based) estimators
 - 1 for detection of a faulty condition
 - *n* for isolation of the specific (in general, modeled) fault

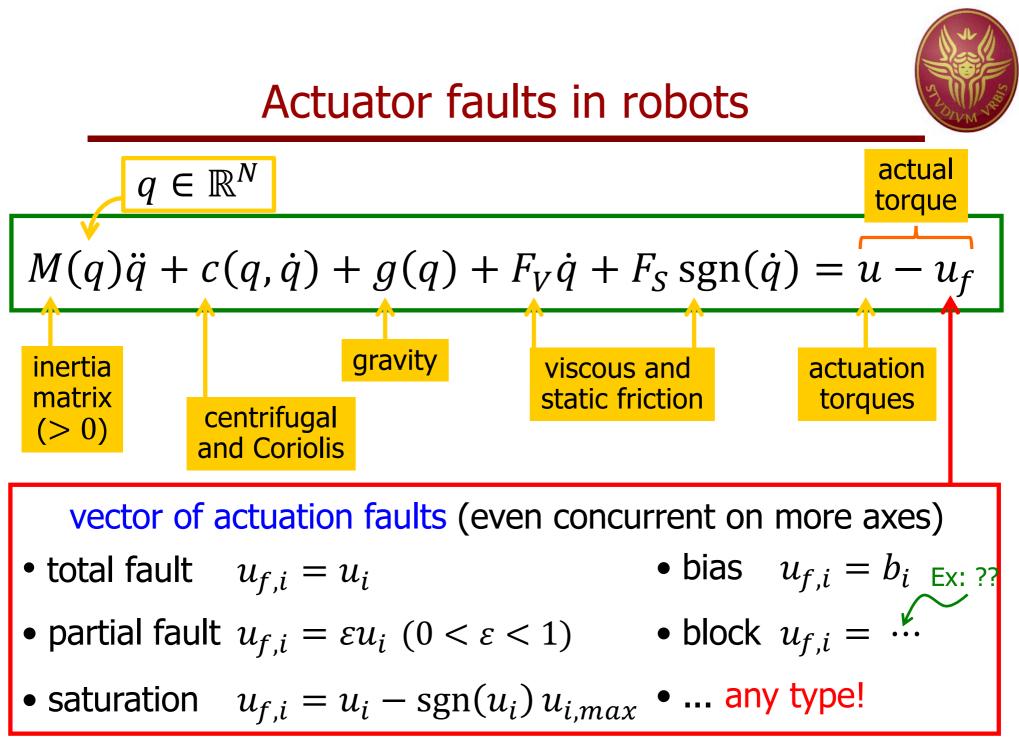


Some terminology



- fault types
 - instantaneous (abrupt), incipient (slow), intermittent, concurrent
- thresholds for detection/isolation (also adaptive)
 - delay times (w.r.t. the instant T_0 of fault start) vs. false alarms







- signals and measurements available
 - the commanded input torque u, but obviously not u_f ...
 - a measure of the full state (q, \dot{q}) is available
 - can be relaxed: in practice, with an estimate of joint velocities
 - no further sensors are anyway necessary ("sensorless")
- the robot dynamic model is known
 - in the absence of faults, and neglecting disturbances
 - no pre-specified model or type of faults is needed
- no dependence on/request of a specific input u(t)
 - can be anything (open loop, linear or nonlinear feedback)
- no dependence on/request of a specific motion $q_d(t)$



$$p = M(q)\dot{q}$$

with associated dynamic equation

$$\dot{p} = u - u_f - \alpha(q, \dot{q})$$
exploiting structure
decoupled components
relative to the single fault inputs
$$1 - \partial M(q)$$

$$\alpha_{i} = -\frac{1}{2}\dot{q}^{T}\frac{\partial M(q)}{\partial q_{i}}\dot{q} + g_{i}(q) + F_{V,i}\dot{q}_{i} + F_{S,i}\operatorname{sgn}(\dot{q}_{i}) \checkmark$$
scalar expressions, for $i = 1, \dots, N$

FDI solution



definition of a vector of residuals

$$r = K\left[\int (u - \alpha(q, \dot{q}) - r)dt - p\right]$$

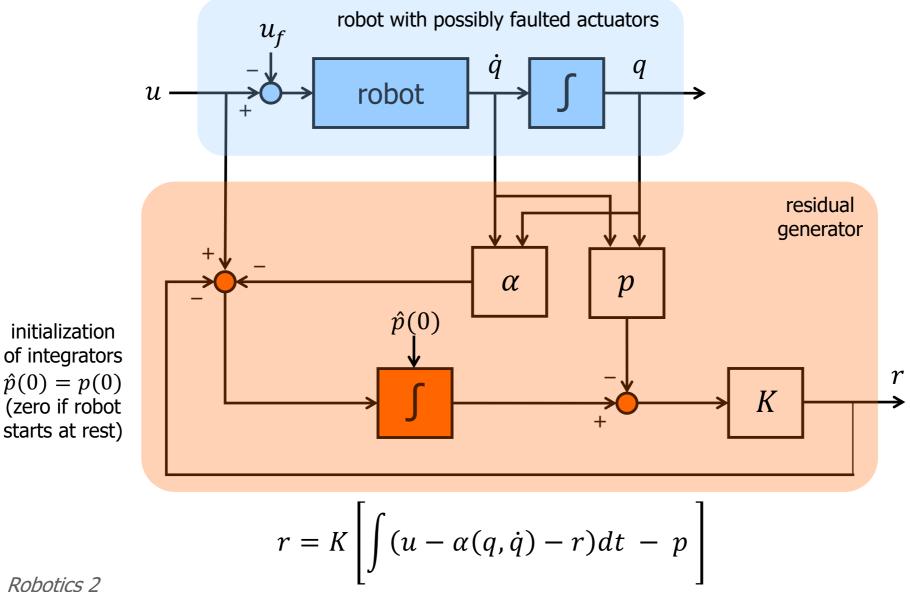
K > 0 diagonal

- no need to compute joint accelerations nor to invert the robot inertia matrix M(q)
- with perfect model knowledge, the dynamics of r is

N decoupled filters, with unitary gains and time constants $\tau_i = 1/k_i$ $\dot{r} = -Kr + Ku_f$ in the Laplace domain $\frac{r_i(s)}{u_{f,i}(s)} = \frac{k_i}{s + k_i} = \frac{1}{1 + \tau_i s}$

for sufficiently large K, r reproduces the time behavior of u_f

Block diagram of the residual generator



Residual generator as "disturbance observer"

A CONTRACTOR

$$\dot{\hat{p}} = u - \alpha(q, \dot{q}) + K(p - \hat{p})$$
$$r = K(\hat{p} - p)$$

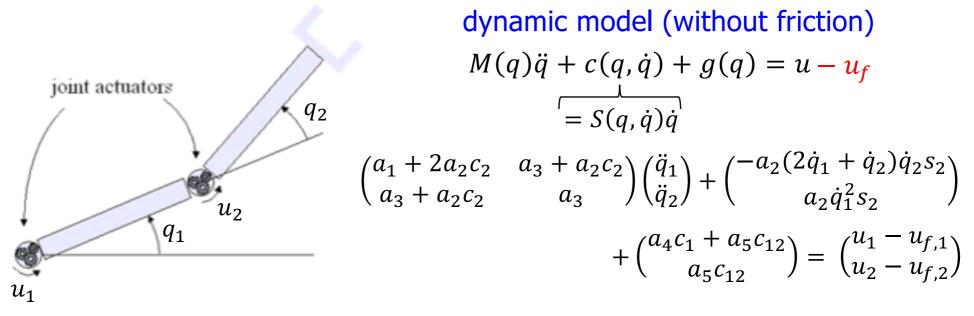
dynamic observer of the unknown actuation faults $(r \approx \rightarrow u_f = \text{external disturbances})$ with linear error dynamics (for constant u_f)

$$e_{obs} = u_f - r \quad \Longrightarrow \quad \dot{e}_{obs} = \dot{u}_f - \dot{r} = \dot{u}_f - K(\dot{p} - \dot{p})$$
$$= \dot{u}_f - K((u - \alpha - r) - (u - \alpha - u_f))$$
$$= \dot{u}_f - K(u_f - r) = \dot{u}_f - Ke_{obs} \cong -Ke_{obs}$$

A worked-out example



planar 2R robot under gravity



computation of the residual vector

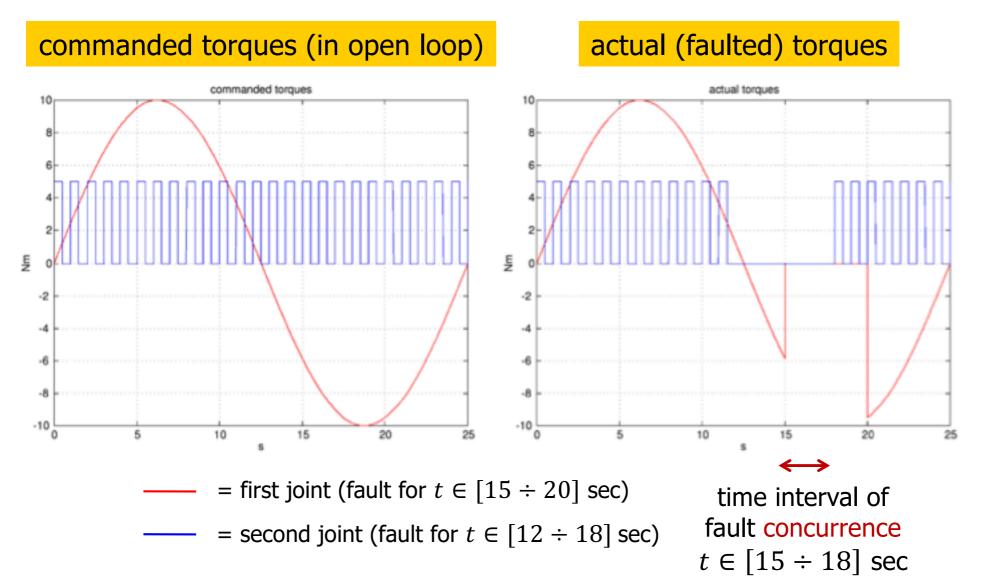
$$r = K\left[\int (u - \alpha(q, \dot{q}) - r)dt - p\right]$$
$$p = M(q)\dot{q}$$

$$\alpha_{1} = g_{1}(q) = a_{4}c_{1} + a_{5}c_{12}$$
$$\alpha_{2} = -\frac{1}{2}\dot{q}^{T}\frac{\partial M(q)}{\partial q_{2}}\dot{q} + g_{2}(q)$$
$$= a_{2}(\dot{q}_{1} + \dot{q}_{2})\dot{q}_{1}s_{2} + a_{5}c_{12}$$

Faults on both actuators

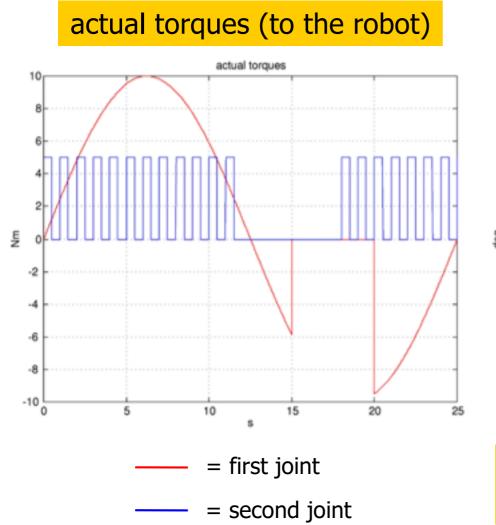
(total, intermittent, concurrent)



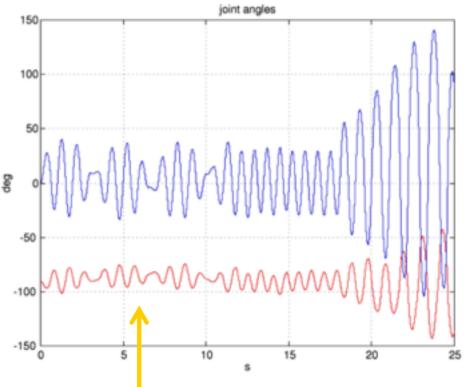


First simulation





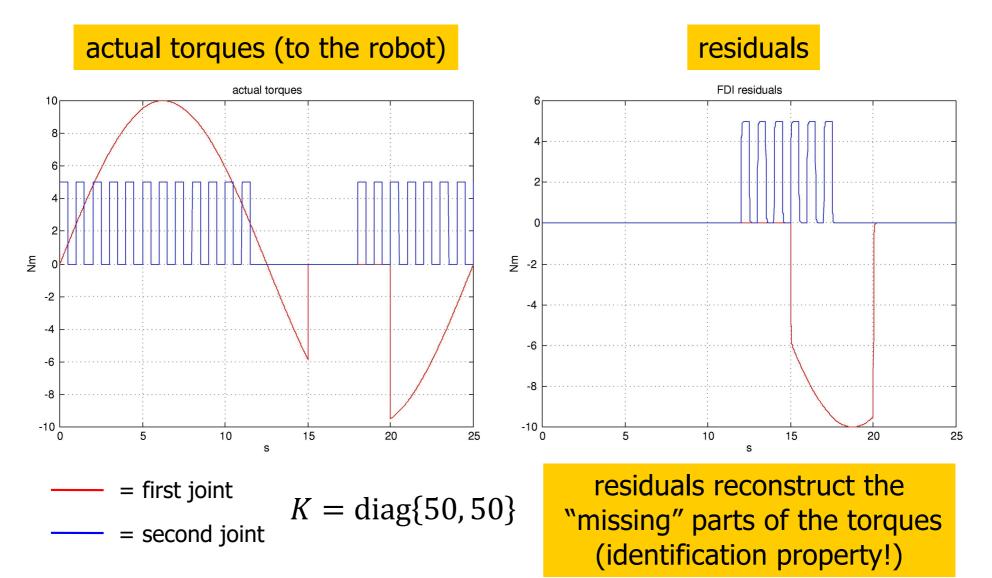
(measured) joint positions



no clear evidence of faults in the dynamic evolution of the system!

First simulation – FDI

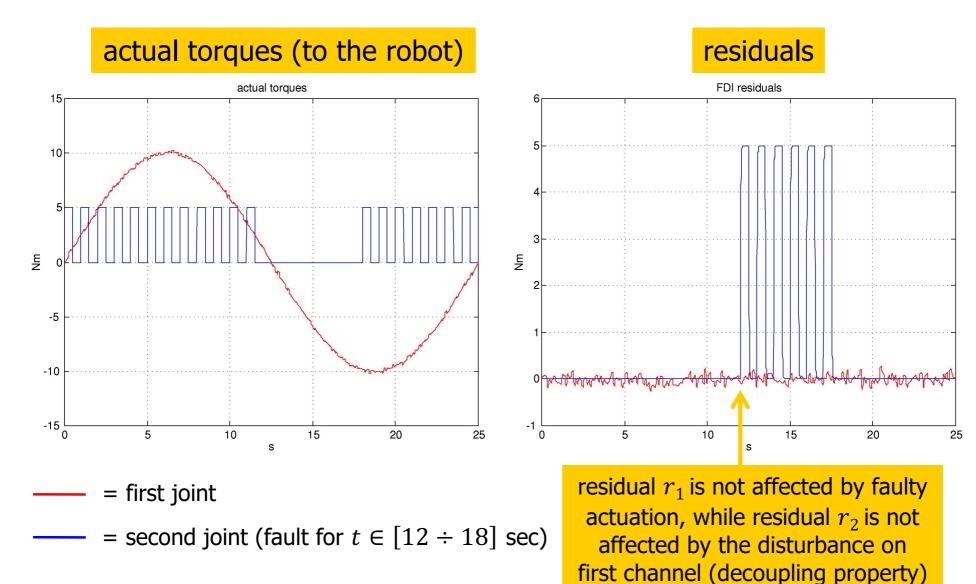




Second simulation – FDI

(total fault on second actuator, added noise on first channel)



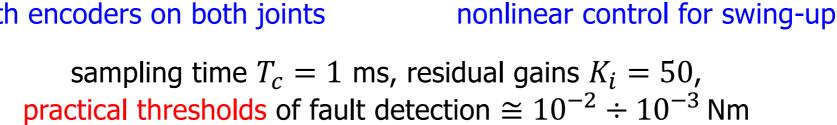


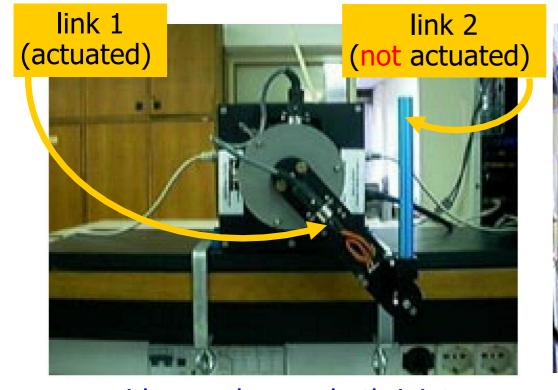
Experimental setup

Quanser Pendubot











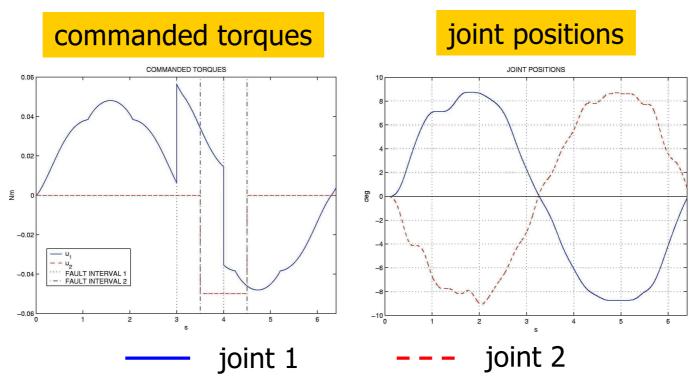


video

First experiment



- motor 1 driven by sinusoidal voltage of period 2π sec (open loop)
- bias fault on u_1 for $t \in [3 \div 4]$ sec
- total fault on second joint for $t \in [3.5 \div 4.5]$ sec (a constant torque is requested, but no motor at the joint to provide 0.05 Nm...)
- fault concurrency for $t \in [3.5 \div 4]$ sec

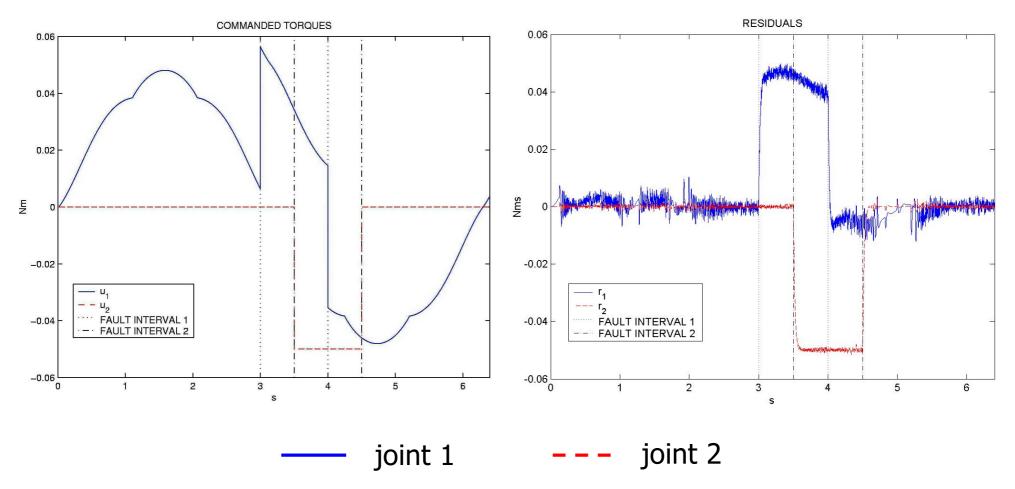




First experiment – FDI



commanded torques

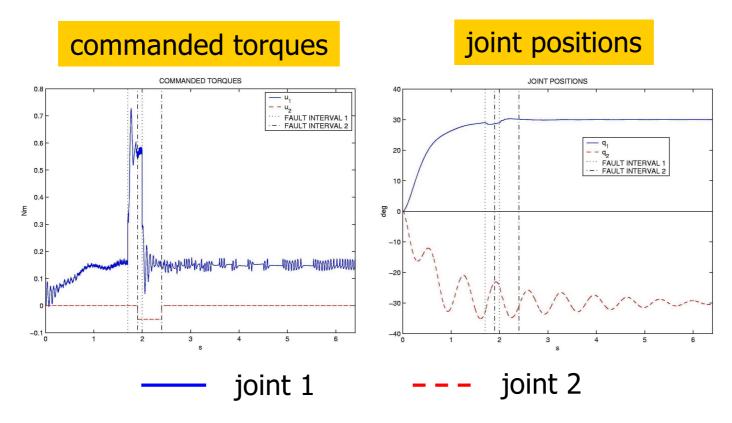


Robotics 2

Second experiment



- position regulation of the first joint at $q_{d1} = 30^{\circ}$ (PID control)
- 50% power loss on motor 1 for $t \in [1.7 \div 2]$ sec
- total fault on joint 2 for $t \in [1.9 \div 2.4]$ sec (no motor...)
- fault concurrency for $t \in [1.7 \div 1.9]$ sec

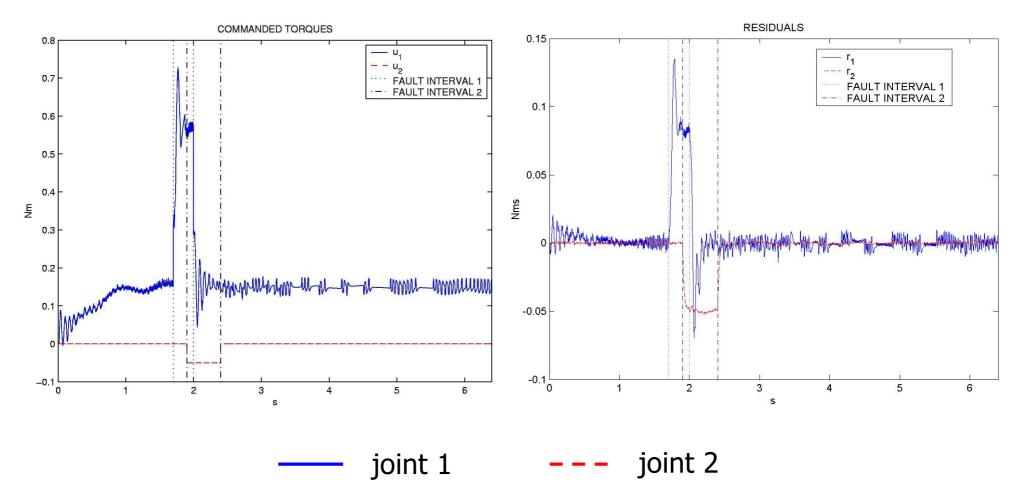




residuals

Second experiment – FDI

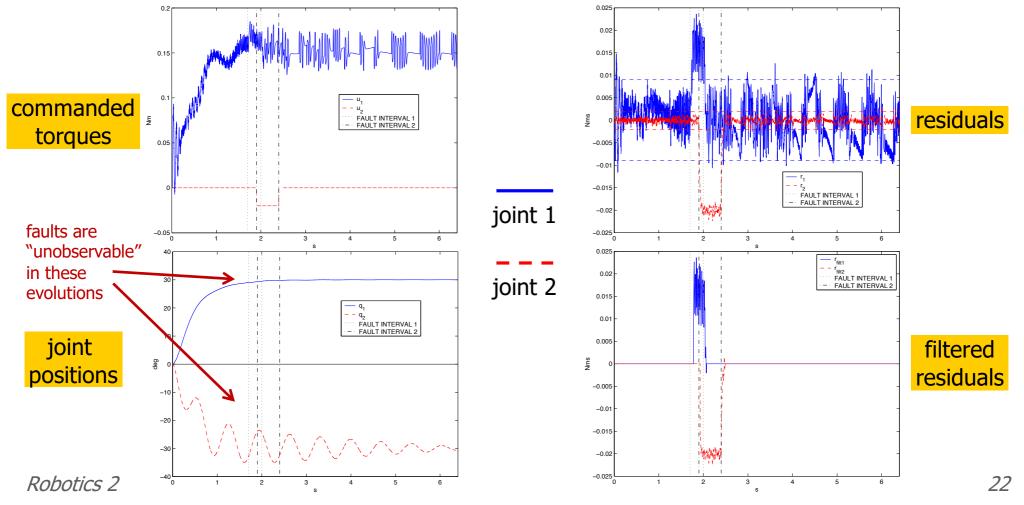
commanded torques



Third experiment – FDI



- same as in second experiment, but with only 10% power loss on motor 1
 - due to noisy PWM signals driving the DC motor, a dynamic filtering of residuals is used, staying above [below] a threshold ($r_{1,thres} = 9 \cdot 10^{-3}$ Nm, $r_{2,thres} = 2 \cdot 10^{-3}$ Nm) for a time $T_{set} = 0.02$ s [$T_{reset} = 0.03$ s] before detecting a fault [reset to normal operation]



Extensions

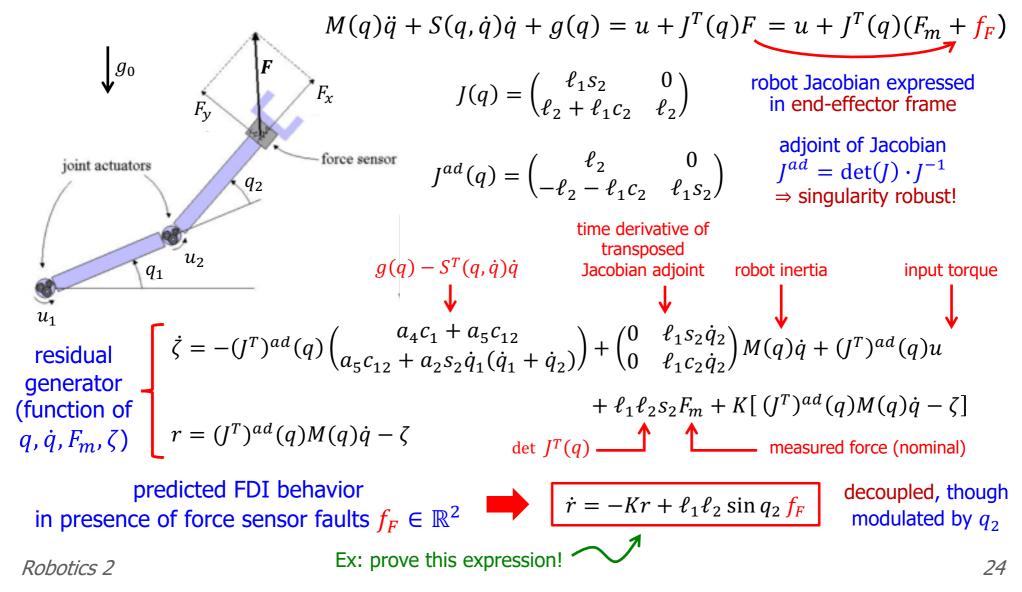


- FDI method based on generalized momentum is easily extended to the presence of flexible transmissions (elastic joints), actuator dynamics, ...
- the scheme can be made adaptive, so as to handle parametric uncertainties in the robot dynamic model
- the method can be modified for detection and isolation of significant classes of sensor faults (e.g., faults in force/torque sensor at the wrist)
 - applies to all faults that instantaneously affect robot acceleration or torque (i.e., occurring at the second-order differential level)
- assuming non-concurrency (at most a single fault occurs at the same time) of a given set of faults, relaxed FDI conditions have been derived
 - of interest when the necessary conditions for multiple FDI are violated
 - involves processing of continuous residuals + discrete logic for isolation
- the same FDI-type approach has been applied also for compensation of unmodeled friction (treated as a "permanent fault" on the system)
- combination of model- and signal-based approaches to FDI



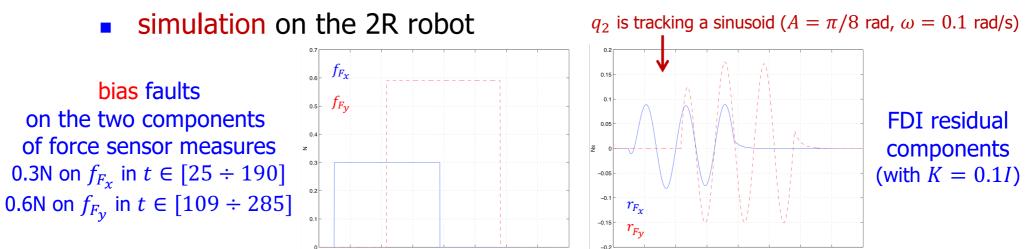
Isolation of F/T sensor faults

planar 2R robot with fault on force measure of sensor on the end-effector

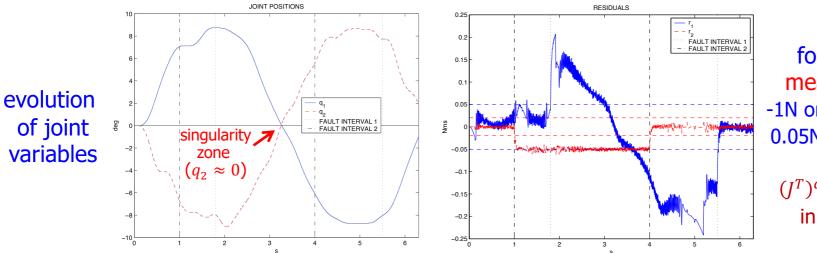




Isolation of F/T sensor faults



experiment on the Pendubot (no force sensor and no contact!)



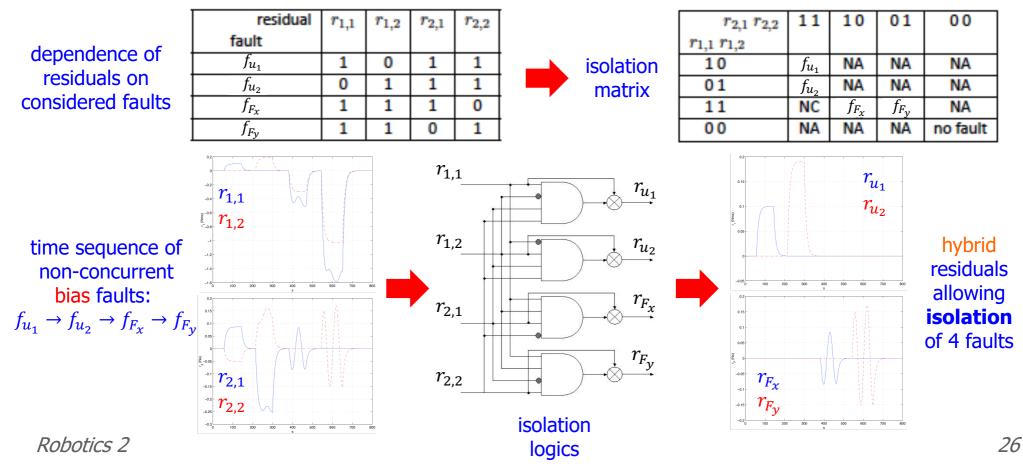
residuals for emulated bias measurement faults -1N on F_x in $t \in [1.8 \div 5.5]$ 0.05N on F_y in $t \in [1 \div 4]$

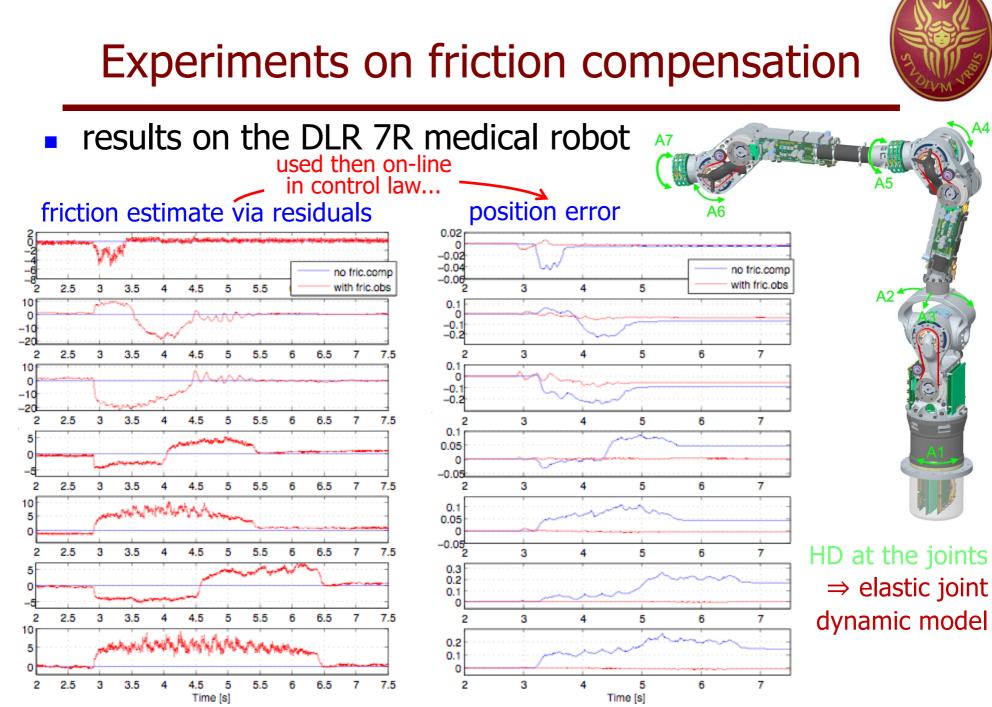
 $(J^T)^{ad} \rightarrow \text{diag}\{s_2, 1\} J^{-T}$ in previous scheme

Isolation of non-concurrent faults



- faults of the actuators AND faults of the force sensor components (possibly occurring simultaneously) CANNOT be detected AND isolated
 - for a mechanical system with N dofs, the max # of faults allowing FDI is N!
- with non-concurrency, e.g., 2 actuator + 2 F/T sensor faults in 2R robot

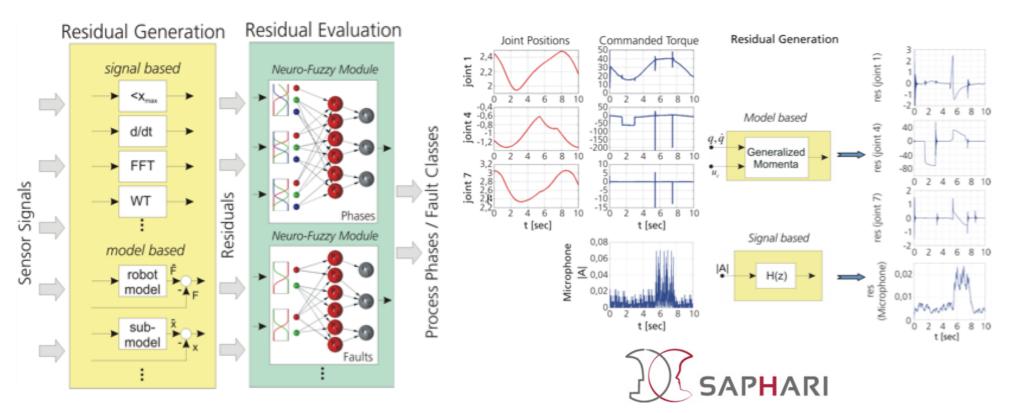




Model- and signal-based FDI



- detection and isolation features can be enhanced by combining multiple sensor inputs and different approaches
 - model-based (exact, but require accurate models)
 - signal-based (approximate, but without special requirements)
 so as to obtain the "best of both worlds"



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